

## CHAPTER 31

### MATHEMATICAL SCIENCES STATISTICS

#### Doctoral Theses

290. MAZUMDER (Mukta Datta) nee MUKTA ROY  
**Some Contributions to Orthogonal Arrays and Optimal Fractional Factorial Plans.**  
Supervisors : Prof. M. L. Aggarwal and Prof. Jagdish Saran  
Th 14743

#### *Abstract*

Constructs two new universally optimal fractional factorial plans under hierarchical models based on Lemmas 1.1 and 1.2 given in Dey and Suen (2002) using the concepts of finite projective geometry. One of the optimal plans permits the estimability of the mean, all M. E. and a specified set of 2FI. The other plan permits the estimability of the mean, all M. E. , a specified set 2FI and a specified 3FI. A new universally optimal fractional factorial plan which is hierarchical in nature for estimation of the mean, all M. E. and a specified set of 2FI using the concept of spread. A universally optimal plan for estimation of the mean, all M.E., specified set of 2FI and specified set of 3FI using the concept of spread. Used the concept of minohyper to construct a new optimal fractional plan under hierarchical model for estimation of the mean, all M. E., a specified set of 2FI and a specified set of 3FI. Studies the universally optimal asymmetric fractional factorial plans given by Dey, Suen and Das (2005) under hierarchical models for estimation of the mean, all M.E. and a specified set of 2FI using finite projective geometry. Constructs two new optimal fractional factorial plans for estimation of the mean, all M. E., a specified set of 2FI,... and a specified set of (r-1)-factor interactions under hierarchical models using finite projective geometry PG(r-1,m). Studies several methods of partition proposed by Wu, Zhang and Wang (1992) to obtain tight asymmetric orthogonal arrays of strength 2.

#### *Contents*

1. Introduction. 2. Optimal fractional factorial plans using PG

( $r-1, m$ ). 3. Optimal fractional factorial plans using concept of spread minihypers. 5. Optimal asymmetric fractional factorial plans using finite projective geometry. 6. Optimal fractional factorial specified ( $r-1$ )- factor interactions using  $PG(r-1, m)$ . 7. Tight asymmetric orthogonal arrays of strength 2 using finite projective geometry. Bibliography.

## M.Phil Dissertations

291. GUPTA (Rashmi)  
**Models in Survey Sampling-A Review.**  
Supervisor : Prof. M.C. Agrawal.
292. PANDEY (Manoj Kumar)  
**Critical Review of Sample Size Determination in Clinical Trials.**  
Supervisor : Dr. Gurprit Grover.
293. TALUKDAR (Kabita)  
**Review of Classical and Bayesian Estimation Procedures for Some Reliability Models.**  
Supervisor : Dr. Ajit Chaturvedi.
294. TYAGI (Nidhi)  
**Contributions to Inferential Procedures for Some Reliability Models.**  
Supervisor : Dr. Ajit Chaturvedi.